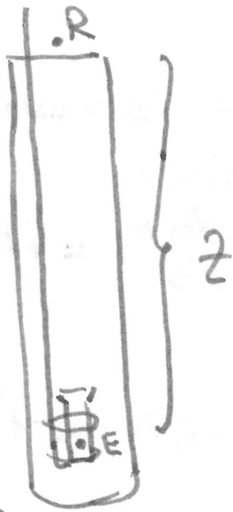




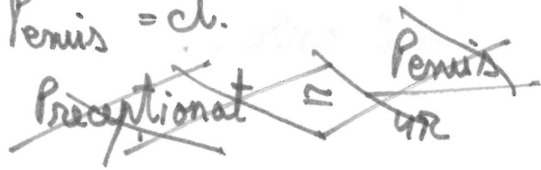
4. a.

(In conjugation)  
Receiver-  
(We surround  
the receiver  
with a ferrite  
foil)



$$P_d e^{2i(\mu z)} \Leftrightarrow P_d e^{-\mu z}$$

$P_{emis} = ct.$



R(dBm)	z(cm)
-54	10
-80	12,5
-100	15
-120	17,5
-65	10,5
-69	11
-75	11,5
-77	12
-86	13
-91	13,5
-94	14
-97	14,5
-105	15,5
-109	16
-113	16,5
-118	17

$$\Rightarrow R_d \quad R(dBm) = \underbrace{K}_{ct.} - \underbrace{\frac{20}{\ln 10}}_{\text{graph}} \cdot \mu z$$

$$\Rightarrow \text{tg } \gamma = -9,14 \text{ cm}^{-1}$$

(graph)

$$9,14 = \frac{20}{\ln 10} \cdot \mu \Rightarrow \mu = 1,05 \text{ cm}^{-1}$$

$$\mu = 105 \text{ m}^{-1} (= \mu_1)$$

4. b. We will work exactly as in 4. a., but for every tube we have:

d = 59 mm		d = 100 mm		d = 41 mm	
R(dBm)	z(cm)	R(dBm)	z(cm)	R(dBm)	z(cm)



with regression parameter  
being 0,97, that means  
that  $\mu \propto \frac{1}{d^2}$ , which  
verifies our hypothesis.

$$B = -8,24 \cdot 10^{-3} \text{ cm}$$

$$A = 1,14 \text{ cm}^{-1}$$

$$5. \lambda_{\text{emitter}} = [200 \text{ MHz}; 5 \text{ GHz}]$$

$$\Rightarrow \lambda_{\text{emitter}} = \lambda_{\text{air}} = \frac{c_{\text{air}}}{\nu_{\text{emitter}}}$$

$$\Rightarrow \lambda_{\text{air}} = [0,667 \text{ m}; 16,667 \text{ m}]$$

$$c_w = \frac{c_{\text{air}}}{n_w}$$

$$\Rightarrow \nu_{\text{emit}} \cdot \lambda_w = \frac{\nu_{\text{emit}} \cdot \lambda_{\text{air}}}{n_w}$$

$$\Rightarrow n_w = \frac{\lambda_{\text{air}}}{\lambda_w} = \frac{4}{3}$$

\* At 3) and 4) we must take in account how the waves reflect off tubes inner surfaces. So that's why it's our choice to isolate the emitter with aluminium foil or mat. (At 4 we used aluminium foil only at  $d = 46 \text{ mm}$ ).



Student: ROU-S5

Sheet: E-018

Side: B

